COSC 460 Lecture 15: Transactions 2

Professor Michael Hay Fall 2018

Transactions

- **Transaction** a sequence of SQL operations treated as a unit.
- Transactions appear to run in isolation
- Transaction either runs to completion or not at all
- ACID Properties
 - Atomicity
 - Consistency
 - Isolation
 - Durability

```
BEGIN TRANSACTION;
insert into archive
(select *
  from apply
  where decision = 'n');
delete from apply
where decision = 'n';
COMMIT;
```

Isolation

- Goal: develop ways to Isolation. We will worry about A,C, and D later.
- Plan:
 - 1. See what isolation looks like (serializable schedules, confict-serializable schedules, ...)
 - 2. See how to ensure isolation (locking protocols)

Schedules

- A **schedule** specifies a sequence (ordering) of statements across a set of transactions.
 - Statements *within same* transaction must execute in order.
 - Statements from *different* transactions may be interleaved
- Serial schedule: no interleaving

	S		
	T1	T2	Intermediate results
			A = B =1000
	A = A + 100		A = 1100
Serial: T1 T2	B = B-100		B = 900
		A = A*1.01	A = 1111
1 I, I <i>C</i>		B = B*1.01	B = 909

End result: A = 1111; B = 909 A+B = 2020

C	\mathbf{O}
J	2

	T1	T2	Intermediate results
			A = B =1000
		$A = A^{*}1.01$	A = 1010
Serial: T2. T1		B = B*1.01	B = 1010
	A = A + 100)	A = 1110
,	B = B-100		B = 910

End result: A = 1110; B = 910 A+B = 2020

Serializable schedules

- A **schedule** specifies a sequence (ordering) of statements across a set of transactions.
- Schedule S' is equivalent to schedule S if the result of executing S' on D is the same as the result of executing S on D.
- Schedule S' is serializable if it is equivalent to some serial schedule S.



T1	T2	Intermediate results
		A = B = 1000
A = A + 100		A = 1100
	$A = A^{*}1.01$	A = 1111
B = B-100		B = 900
	B = B*1.01	B = 909

End result: A+B = 2020A = 1111; B = 909

Serializable: equivalent to T1, T2



	T1	T2	Intermediate results
			A = B =1000
	A = A + 100		A = 1100
Not		A = A*1.01	A = 1111
serializable		B = B*1.01	B = 1010
Contanizabio	B = B-100		B = 910

End result:	
A = 1111; B = 910	A+B = 2021!!

Abstract Schedule: Reads and Writes



Conflicting statements

- Two statements **conflict** if....
 - They are from different transactions
 - They access same object
 - At least one is a write



Conflict equivalent

• Schedule S is **conflict equivalent** to S' if every pair of conflicting statements is ordered in the same way



Question

- Two statements **conflict** if....
 - They are from different transactions
 - They access same object
 - At least one is a write
- Are these conflict equivalent schedules?

T1	T 2	Т3	T1	T2	Т3
W(A)			W(A)		
		R(B)	R(B)		
	R(A)			R(A)	
	R(B)			R(B)	
R(B)					R(B)
		W(B)			W(B)

Instructions: ~1 minute to think/answer on your own; then discuss with neighbors; then I will call on one of you

Conflict serializable

- Recall: schedule S' is serializable if it is *equivalent* to some serial schedule S.
- A schedule S' is **conflict serializable** if it is *conflict equivalent* to serial schedule S.

Question

Instructions: ~1 minute to think/ answer on your own; then discuss with neighbors; then I will call on one of you

Let's think about the relationship between *conflict serializability* and *serializability*.

Consider the schedule shown here.

- Is it conflict serializable?
- Is it *serializable*?

T1	T2	Т3
W(A)		
	W(A)	
	W(B)	
W(B)		
		W(B)

Checking for conflict serializability

- Construct precedence graph
 - Node for every transaction
 - Edge $T_i \rightarrow T_j$ if T_i has statement *a* that conflicts with a statement *b* in T_j and *a* comes before *b*
- If precedence graph is acyclic, then a schedule is conflict serializable.

Examples schedules

T1	T2	T1	T 2
R(A)		R(A)	
W(A)		W(A)	
	R(A)		R(A)
	W(A)		W(A)
	R(B)	R(B)	
	W(B)	W(B)	
R(B)			R(B)
W(B)			W(B)

Question

Instructions: ~1 minute to think/ answer on your own; then discuss with neighbors; then I will call on one of you

Construct the *precedence graph* for the schedule shown here.

Is this schedule *conflict serializable?*

T1	T2	Т3
		W(A)
R(B)		
W(B)		
	R(A)	
	W(C)	
		W(B)
R(C)		

Example

- T1 transfers between accounts
- T2 displays total account balance
- Is this schedule *serializable*?

Locking alone is not enough! Need *locking protocol*. L(B) B = B - 100 U(B)

T1

L(A)

A = A + 100

U(A)

 $\begin{array}{c} L(A) \\ I \\ I \\ L(B) \\ print(A+B) \\ U(A), U(B) \end{array}$

Example

Instructions: ~1 minute to think/ answer on your own; then discuss with neighbors; then I will call on one of you

- Is this schedule feasible under the 2PL protocol?
- If not, why not?
- If so, is it a *serializable schedule*?

T1 T2 L(A), L(B)temp = AU(A) L(A)A=A+100 U(A)temp += BU(B) L(B)B = B - 100U(B)print(temp)